

**I: Momentum**

- (a) Go back over the steps in Taylor section 1.5, on “Multiparticle systems” (p. 20 and 21), which proves conservation of momentum, for the specific case  $N = 3$  (*i.e.*, there are particles labeled 1, 2, and 3 making up the system). Write out all the summations in Eq 1.27 explicitly (*i.e.*, no “summation” symbols, really show what is being added up!) to make sure you understand the somewhat mathematically formal manipulations going on.
- (b) Look at Taylor Example 3.1 (p. 84 and 85). Suppose in that figure,  $\vec{v}_1 = (+1\text{m/s})\hat{x} + (+1\text{m/s})\hat{y}$ , and  $\vec{v}_2 = (+1\text{m/s})\hat{x} + (-2\text{m/s})\hat{y}$ . Suppose further that  $m_1 = 2m_2$ . What is the angle between the final velocity of the final "blob" ( $\vec{v}$ ), and the velocity labeled  $\vec{v}_1$ ?

**II: Center of Mass**

- (a) Look at Taylor's Example 3.2 (p. 89). Explain in your own words why Taylor says “For any given  $z$ , the integral over  $x$  and  $y$  runs over a circle of radius  $r = Rz/h$ ”. (Specifically, we’re curious where that  $Rz/h$  came from!) ALSO, explain in your own words how we know  $Y(\text{center of mass}) = 0$  (Please don't just say “by symmetry” – be a little more explicit!).
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**III: Angular Momentum**

- (a) Taylor (on p. 91) argues that  $\vec{r} \times \vec{F} = 0$  for the case of a planet orbiting the sun. He then uses that to claim that the planet's orbit “is confined to a single plane containing the sun”, and the problem of orbits is thus 2-D, not 3-D. Explain in your own words how you draw that conclusion from “ $\vec{r} \times \vec{F} = 0$ ”.

**IV: Taylor Series Expansion**

- (a) In your own words (not just a formula) what does it mean to write a Taylor series expansion around the point  $a$ ?
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